

FOR A PROPORTION

A confidence interval is an interval of plausible values for a population proportion. It is constructed so that we can state a chosen degree of confidence that the actual value of the parameter will be between the lower and upper endpoints of the interval.

STEP 1. Check for conditions of normality.

- a random sample
- n(P) > 1O and n(1-P) > 1O
- N > 10n

STEP 2. Enter data or summary statistics.

STAT > TESTS A: 1-PropZInt

Inpt: Data Stats

x: number of "successes" in the sample

n: sample size

C-Level: degree of confidence

Output screen

1-PropZInt

(lower endpoint, upper endpoint)

P= sample proportion

n= sample size

STEP 3. Interpret the confidence interval.

We are .	% confider	nt that the <u></u>	<u>oopulation</u>
proporti	on is between	and	·

To find margin of error with calculator output

Margin of Error = $\frac{upper\ endpoint-lower\ endpoint}{2}$



CONFIDENCE INTERVAL MARGIN OF ERROR

STEP 1. Find the 90% z-critical value (z_c).

2nd VARS (DISTR) 3: invNorm

area: 1.90/2

μ: Ο

ð: 1

invNorm(1.9O/2,O,1) = **1.644853626**

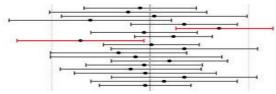
STEP 2. Use 1.645 for z_c and n and \hat{p} to calculate the margin of error.

$$\widehat{p} = \frac{x}{n}$$
 and $M.E. = z_c * \sqrt{\frac{\widehat{p}(1-\widehat{p})}{n}}$

 $confidence\ interval = \widehat{p} \pm M.E.$

Note: Increasing the level of confidence widens the interval giving a larger margin of error. Conversely, increasing the sample size decreases the margin of error, narrowing the interval.

Another look at the 90% Confidence Interval



The vertical line in the middle of the figure above denotes the unknown population proportion. The horizontal segments represent twenty 90% confidence intervals. The dot in the middle of each segment marks the sample proportion. Note that 18 of the 20 intervals (i.e., 90%) contain the true population proportion.